Adjacent vertices fault-tolerance fanability of hypercube

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ABSTRACT

In this paper, we introduce the concepts of fault tolerant fanability. We show that the n-dimensional hypercube Qn are f-adjacent and l edges fault tolerant (n-f-l)*-fanable for n>=3, f+l<=n-2., f<=n-3. And the graph Qn is one node f-adjacent l edge (n-f-l-1)*-fanable, for f+l<=n-2., f<=n-3.

Keywords : n-dimensional hypercube, fanability.

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