Edge Fault-tolerant Hamiltonian Laceability of Bipartite Hypercube-like Networks

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ABSTRACT

The edge fault tolerance for Hamiltonian propertices of n-dimensional bipartite hypercube-like graphs Xn are explored. The main result of this thesis is that Xn − F is Hamiltonian laceable where F is the faulty edge set with |F| = n-2, and hyper-Hamiltonian laceable with |F| = n-3.

Keywords : hypercube-like, Hamiltonian laceable,hyper-Hamiltonian laceable, fault-tolerant.

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