The Study of Adjacent Vertices Fault Tolerance Hamiltonian Laceability of Star Graphs

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ABSTRACT

The star graph is a famous interconnection network. In this thesis, we will investigate the edge fault tolerance and adjacent vertex fault tolerance for some Hamiltonian property of the star graph. Let Sn be an n-dimensional star graph, and let Fe be the set of fe faulty edges and let Fav be the set of fav pairs of adjacent faulty vertices of Sn. In this thesis, we show that there exists a Hamiltonian path P(b, w) of Sn - Fav - Fe where b and w are arbitrary two vertices with odd distance for fav + fe? n - 3and n ? 5.

Keywords : star graph、 adjacent vertices fault tolerance、 edges fault tolerance

Table of Contents

封面內頁 簽名頁 中文摘要 iii ABSTRACT iv 誌謝 v 目錄 vi 圖目錄 vii Chapter1 Introduction1 1 Chapter2 Preliminaries 5 2.1 Previous results 5 2.2 Some additional lemmas 6 Chapter3 The Main Result 14 Chapert4 Conclusion 26

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